

Porter hypothesis vs pollution haven hypothesis: Can an emission tax avoid the pollution haven hypothesis?

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Pollution haven theory (Copeland and Taylor, 2004)

World divided into two parts:

- “North”: with environmental policy
- “South”: no environmental regulation

PH hypothesis: polluting firms will tend to relocate in countries with weaker regulation.

Porter's hypothesis (Porter, 1991):

A tighter environmental regulation can foster investment in green technology and firms' competitiveness.

Research questions

- ① What should we expect firms to do (location + investment) under environmental policy?
- ② Which hypothesis (Pollution Havens vs Porter) will prevail given the design of an environmental policy?
- ③ Under what conditions they will decide to stay and go greener?

Strategic environmental policy:

Markusen et al. (1993), JEEM

Barrett (1994), JPubE

Rauscher (1994), OxEcPap

Porter Hypothesis

Porter (1991), SciAm

Porter and van der Linde (1995) JEcPers (1999) HarvBusRev

André, González and Porteiro (2009) JEEM

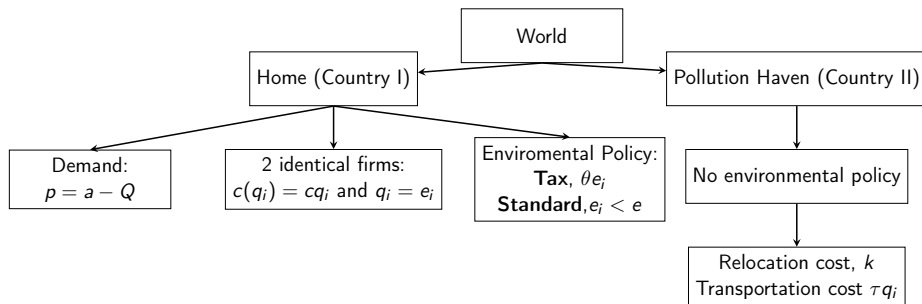
Pollution Haven Hypothesis

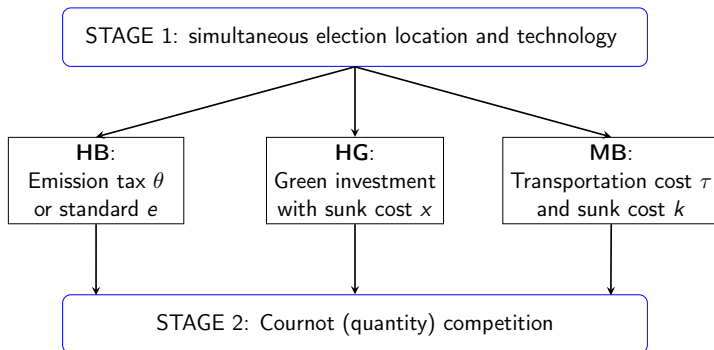
Copeland and Taylor (1994), Q J Econ

Copeland and Taylor (2004), JEL

Levinson and Taylor (2008) IntEconRev

The model 1/2





Solved by backward induction to find subgame perfect Nash equilibria.

Results 1/5 - Nash equilibria with a tax

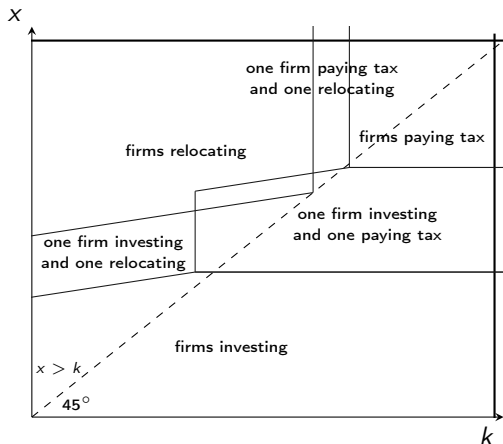
Pay-off matrix first stage

1/2	HG	HB	MB
HG	$\frac{(a-c)^2}{9} - x; \frac{(a-c)^2}{9} - x$	$\frac{(a-c+\theta)^2}{9} - x; \frac{(a-c-2\theta)^2}{9}$	$\frac{(a-c+\tau)^2}{9} - x; \frac{(a-c-2\tau)^2}{9} - k$
HB	$\frac{(a-c-2\theta)^2}{9}; \frac{(a-c+\theta)^2}{9} - x$	$\frac{(a-c-\theta)^2}{9}; \frac{(a-c-\theta)^2}{9}$	$\frac{(a-c+\theta-2\tau)^2}{9}; \frac{(a-c+\theta-2\tau)^2 - k}{9} - k$
MB	$\frac{(a-c-2\tau)^2}{9} - k; \frac{(a-c+\tau)^2}{9} - x$	$\frac{(a-c+\theta-2\tau)^2}{9}; \frac{(a-c-2\theta+\tau)^2 - k}{9} - k$	$\frac{(a-c-\tau)^2}{9} - k; \frac{(a-c-\tau)^2}{9} - k$

Table: Matrix 1. Firms' net profits with emission tax.

Solved by backward induction: SPNE.

Results 2/5 - Nash equilibria with a tax



Main results:

- All strategies are an equilibrium for $\{x; k\}$.
- Asymmetric equilibrium in a symmetric game.
- Win-win solution though $x > k$.

Figure: Equilibrium actions in stage 1 with a tax

Results 3/5 - Nash equilibria with a standard

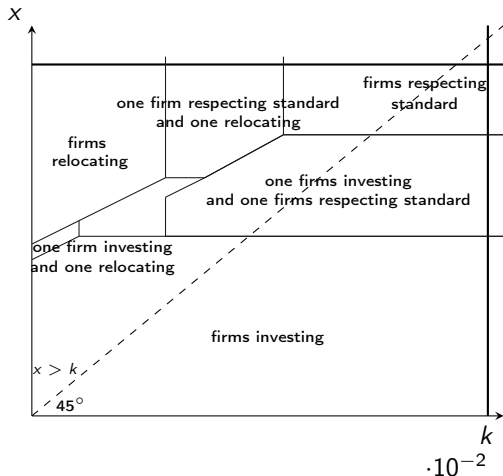
Pay-off matrix first stage

1/2	HG	HB	MB
HG	$\frac{(a-c)^2}{9} - x; \frac{(a-c)^2}{9} - x$	$\frac{(a-c-e)^2}{4} - x; \frac{e(a-c-e)}{4}$	$\frac{(a-c+\tau)^2}{9} - x; \frac{(a-c-2\tau)^2}{9} - k$
HB	$\frac{e(a-c-e)}{2}; \frac{(a-c-e)^2}{4} - x$	$e(a-c-2e); e(a-c-2e)$	$\frac{e(a-c-e+\tau)}{2}; \frac{(a-c-e-\tau)^2 - k}{4} - k$
MB	$\frac{(a-c-2\tau)^2}{9} - k; \frac{(a-c+\tau)^2}{9} - x$	$\frac{(a-c-e-\tau)^2}{4} - k; \frac{e(a-c-e+\tau)}{2} - k$	$\frac{(a-c-\tau)^2}{9} - k; \frac{(a-c-\tau)^2}{9} - k$

Table: Matrix 1. Firms' net profits with standard.

Solved by backward induction: SPNE.

Results 4/5 - Nash equilibria with a standard



- Similarity with tax case
- Win-win solution though adverse conditions

Figure: Equilibrium actions in stage 1 with a standard

Results 5/5 - Comparison tax and standard

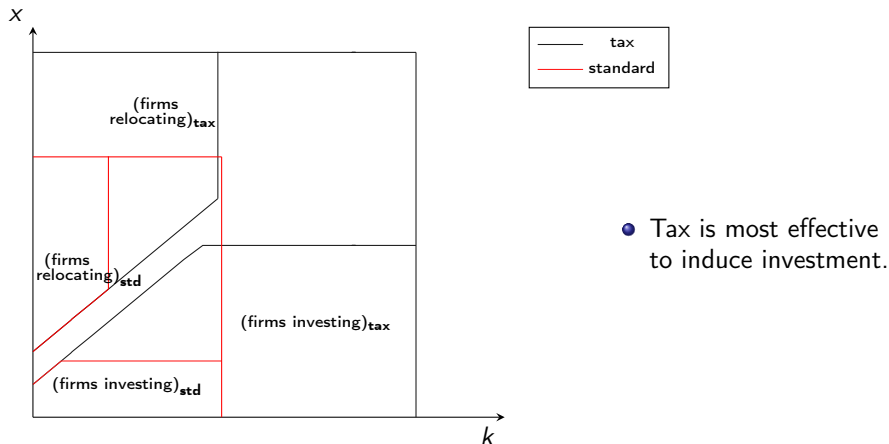


Figure: Equilibrium comparison for each policy

Environmental policy can encourage green investment and discourage relocation:

- In a full symmetric framework, there are asymmetric equilibria
- Win-win equilibrium can arise in apparently adverse conditions.
- A tax renders a «win-win» solution more often than a tax, but also more incentives to relocate.

As upcoming developments

- Complete the comparison of the possible equilibria taking into account also the asymmetric ones.

Thank you for your attention!